The Mercury Programming Language

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based on slides by Zoltan Somogyi

Mercury from 30,000ft

Mercury is a purely declarative logic/functional programming language. It is aimed at *programming in the large*.

Mercury *looks* like **Prolog**, but it *feels* like strict **Haskell** or pure **OCaml**

Goals

Declarative programming (for example in **Prolog**) has always been very powerful. However creating *large* pieces of software is difficult.

We aim to make *programming in the large* easier:

- large programs
- large teams
- better program reliability
- better program maintainability
- program efficiency

This talk

I do not have enough time to teach you Mercury.

Instead I will aim to give a guided tour of Mercury's main features, and how it differs from languages you may be familiar with.

Time permitting I will introduce two very cool Mercury technologies:

- declarative debugging, and
- automatic parallelization.

The *purity* of Mercury is key in making both of these feasible.

Some syntax

`fibs/2` is the hello world of declarative programming. **F** is the **N**th Fibonacci number.

```
fibs(N, F) :-
    ( N < 2 ->
        F = 1
    ;
        fibs(N - 1, FA),
        fibs(N - 2, FB),
        F = FA + FB
    ).
```

Predicates do not have return values per-se. They are either *true* or *false* for a given set of arguments. Arguments may be either **input** or **output**.

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```

A **clause** is made up of **goals** and goals can be *conjoined* (logical AND) with a `,` and *disjoined* (logical OR) with a `;`.

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```

This code also uses an *if-then-else* which joins three goals:

Condition `->` *Then* `;` *Else*

Purity

Imperative programs are based on side effects. You call a function such as

```
strcat(str1, str2);
```

and it returns a value, but the *reason* you call it is for its side effect (modifying str1).

Purity

Purely declarative programs have *no* **side effects**. If a predicate has an **effect**, it has to be reflected in its **argument list**.

```
hello(IO0, IO) :-
    io.write_string("Hello, ", IO0, IO1),
    io.write_string("world\n", IO1, IO).
```

Because a predicate can return more than one item, it is easy to work with more than one *state*.

In purely declarative languages, data structures are **immutable**. Instead of updating an existing data structure, programs create slight variants of existing data structures, typically reusing *almost all their memory*.

Purity

Typing out all the intermediate versions of a value can become tedious.

```
hello(IO0, IO) :-
    io.write_string("Hello, ", IO0, IO1),
    io.write_string("world\n", IO1, IO).
```

So we created a useful syntactic sugar:

```
hello(!IO) :-
    io.write_string("Hello, ", !IO),
    io.write_string("world\n", !IO).
```

It is now easy to update this code without renumbering all the variables.

Types

Mercury has a *strong*, *static* type system similar to Haskell's.

There are several built-in types (`int`, `float`, `char`...). Developers can define new types easily.

```
:- type playing_card
    --->    normal_card(
                c_suit      :: suit,
                c_num       :: int
            )
    ;       joker.

:- type suit
    --->    heart
    ;       diamond
    ;       spade
    ;       club.
```

Types

A predicate's arguments' types are declared in its `pred` declaration.

```
:- pred fibs(int, int).

fibs(N, F) :-
    (   N < 2 ->
        F = 1
    ;
        fibs(N - 1, FA),
        fibs(N - 2, FB),
        F = FA + FB
    ).
```

Modes

The basic modes are `in` and `out`.

```
:- pred fibs(int, int).
:- mode fibs(in, out).
```

When there is a single mode for a predicate we can write this more succinctly:

```
:- pred fibs(int::in, int::out).
```

Modes

`in` and `out` are defined as:

```
:- mode in  == ground >> ground.
:- mode out == free >> ground.
```

Where `free` means *doesn't have a value*, and `ground` means *has a value*. These are **instantiation states**.

Modes

Modes can also be used to track **uniqueness**. These modes are `di` for **destructive input** and `uo` for **unique output**.

```
:- pred hello(io::di, io::uo).
```

They are defined as:

```
:- mode di == unique >> clobbered.
:- mode uo == free >> unique.
```

`clobbered` means that the memory that used to contain a value has been written-over: a program cannot read its value. In practice the `io` type is special: it is optimised away and doesn't consume any memory.

Genealogy Example

```
:- pred mother(person, person).
:- mode mother(in, out).
:- mode mother(out, in).

mother(paul,  faye).
mother(james, faye).
```

This predicate has two modes. We can call it in either mode:

- Who is Paul's mother?
  `mother(paul, M)`
- Who is Faye the mother of?
  `mother(C, faye)`

Determinisms

```
:- pred mother(person, person).
:- mode mother(in, out) is det.
:- mode mother(out, in) is nondet.

mother(paul,  faye).
mother(james, faye).
```

The second **mode** may have multiple answers or none at all so it it **nondeterministic**, we indicate this with `is nondet`.

The first **mode** has exactly one answer it `is det`.

Fun Science Fact: A person may have two *biological* mothers when they have their normal DNA from one woman and their mitochondrial DNA from another woman.

Disjunction syntax

These are equivalent:

```
mother(paul,  faye).
mother(james, faye).
```

```
mother(C, M) :-
    M = faye,
    (
        C = paul
    ;
        C = james
    ).
```

Whether you write one clause containing disjunctions or multiple clauses depends on the kind of thing you're expressing. In this case using **facts** (clauses without bodies) is clearer.

Determinisms

There are six basic **determinisms**. They form a matrix based on what they allow

	at most zero solutions	**at most one solution**	**no limit**
cannot fail	`erroneous`	`det`	`multi`
can fail	`failure`	`semidet`	`nondet`

The two remaining determinisms `cc_multi` and `cc_nondet` are used in **committed choice** contexts.

Geneology Example

Nondeterministic search can be a very useful programming tool:

```
mother(paul,  faye).
mother(james, faye).

parent(C, P) :-
    mother(C, P).
parent(C, P) :-
    father(C, P).

sibling(A, B) :-
    parent(A, P),
    parent(B, P).
```

Mercury generates specialised code for each **mode** of each **predicate**.

IO

Using predicates and modes we can now make IO *safe* in this purely declarative language.

```
:- pred main(io::di, io::uo) is det.

main(!IO) :-
    write_string("Hello ", !IO),
    write_string("World\n", !IO).
```

- The **mode system** ensures that we can't reference an old version of IO (because it's **clobbered**)
- the **determinism system** ensures that we cannot *backtrack* over IO (because code is **det**)

An old version of a state variable

An old version of `!IO` that's impossible (mode system). But an old version of some other `!StateVariable`, that's easy!

`!Name`
  stands for both **current** and **next** variables,

`!.Name`
  stands for only the **current** variable

`!:Name`
  stands for only the **next** variable

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An old version of `!IO` that's impossible (mode system). But an old version of some other `!StateVariable`, that's easy!

Before we do something complex, we can save a copy of the state in the state variable.

```
SavedState = !.MyProgramsState,
```

Now, if the user clicks "undo" I can restore that old state.

```
!:MyProgramsState = SavedState
```

Higher order programming

Mercury supports the usual **higher order** programming features.

```
:- type list(T)
    --->    [ T | list(T) ]
    ;       [].

:- pred map(pred(T, U),           list(T), list(U)).
:- mode map(pred(in, out) is det, in,      out) is det

map(_, [], []).
map(P, [X | Xs], [Y | Ys]) :-
    P(X, Y),
    map(P, Xs, Ys).
```